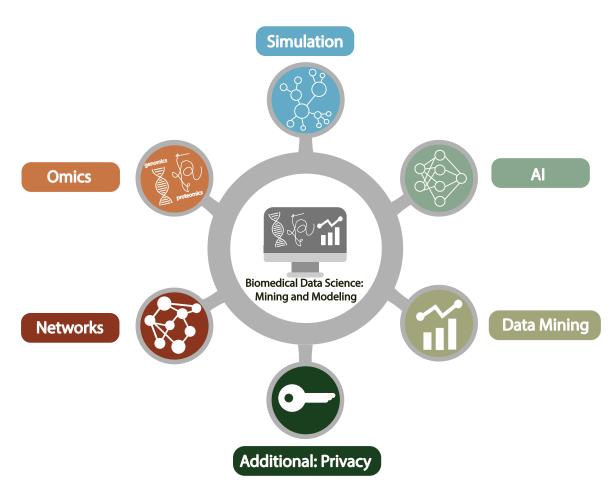
Biomedical Data Science (GersteinLab.org/courses/452)

Supervised Datamining – ROC Curves & Cross-validation (23m8b)



Last edit in spring '23. Condensed (with ~1 slide deletion) and re-arranged from 22m8b, which is similar to 2021's M8b [which has a video].

Supervised Mining:

Assessment, Cross-Validation & ROC Curves

Evaluating performance: What? How?

A. What do we want to evaluate?

GENERALIZATION

Therefore, it is mandatory to divide your dataset:

TRAIN VALIDATION TEST

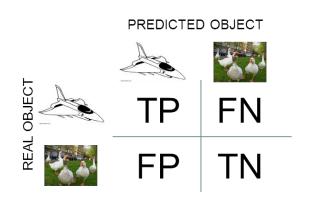
Alternatively, use Cross Validation:

D ₁	D ₂	D _s	run 1
			run 2
			run 1

Slide from Alberto Paccanaro

B. How do we evaluate performance?

1. Classification problems



2. Regression problems Sum of squares errorRoot Mean Square error

Accuracy
TP+TN/(TP+FP+FP+TN)

Sensitivity (or TPR)
TP/P=TP/(TP+FN)

Specificity
TN/N=TN/(TN+FP)

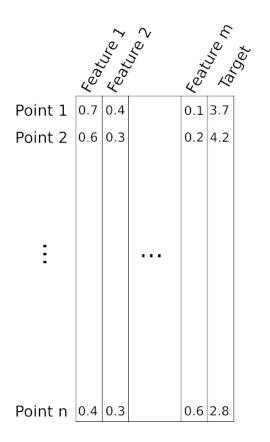
Positive predictive value (PPV)
TP/(TP+FP)

False positive rate (FPR)
FP/N=FP/(FP+TN)

False discovery rate (FDR) FP/(FP+TP)

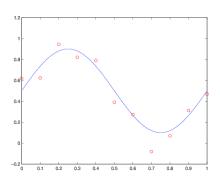
ROC analysis is good for comparing binary classifiers

 IMPORTANT: increasing the number of features may lead to a reduction in performance if the number of datapoints is not increased. Why?



This is related to the "Curse of Dimensionality" Bellman, 1961.

Model dimensionality and overfitting

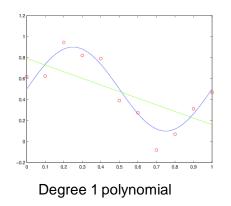


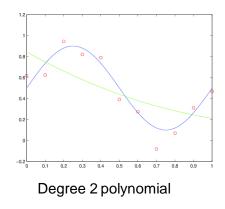
We are given the red dots.

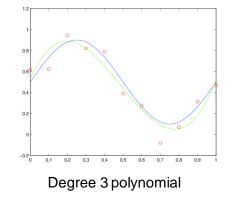
We assume that they are noisy samples from a signal/(function) – the blue curve – which we do not have (we only have the red dots).

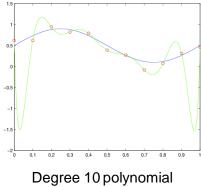
We want to predict new points, i.e. the y coordinates for other values of x (e.g. x > 1)

Our model needs to approximate the blue function. We decide to do it with polynomials.



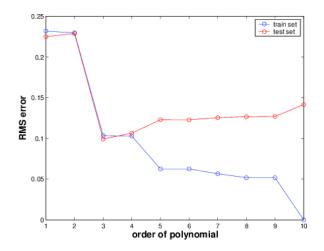






Which one is best? And why?

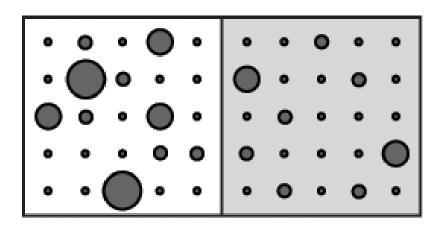
How does the GENERALIZATION performance vary, as we increase the complexity of the polynomial?



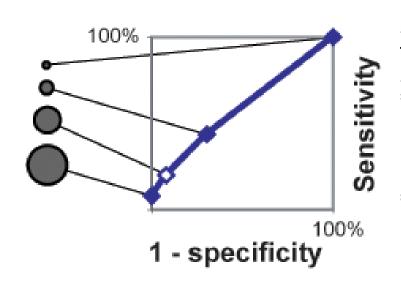
• Occam's razor (William of Occam, ~1300): Accept the simplest explanation that fits the data.

We should prefer simpler models to more complex models, and this preference should be traded off against the extent to which the model fits the data.

Comparison of Predictions against a Positive and Negative Gold Standard

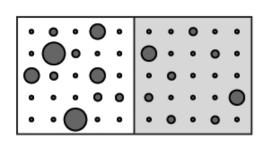


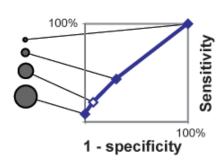
Threshold "predictions" at different levels and compare to + and - gold standards



"Error Rate" (FP/N)

ROC plot (cross validated)



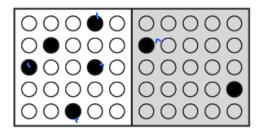


Effect on Predictions of Large Number of Negatives

(e.g. terrorist identification or breast cancer screening)

Sensitivity

1- specificity



$$\frac{5}{25} = 20\%$$

$$\frac{2}{25} = 8\%$$

Positive predictive value

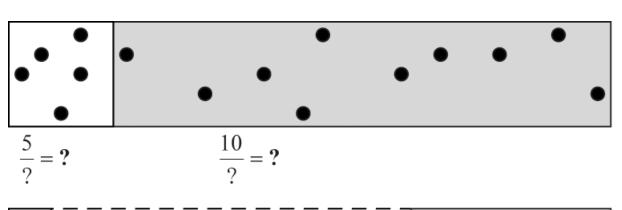
$$\frac{5}{5+2} \approx 71\%$$

$$\frac{5}{25} = 20\%$$

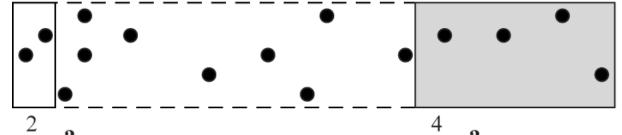
$$\frac{10}{125} = 8\%$$

$$\frac{5}{5+10} \approx 33\%$$

Importance of Balanced Positive and Negative Examples

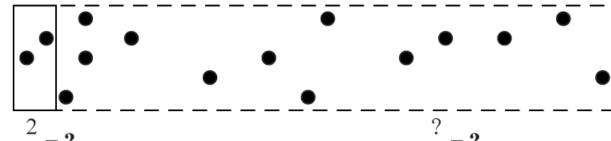


$$\frac{5}{5+10} \approx 33\%$$



$$=$$
? $\frac{4}{2}$ =

$$\frac{2}{2+4} \approx 33\%$$
 (estimate)



$$r=?$$
 $\frac{?}{2}$

$$=$$
? $\frac{2}{2+?}$